

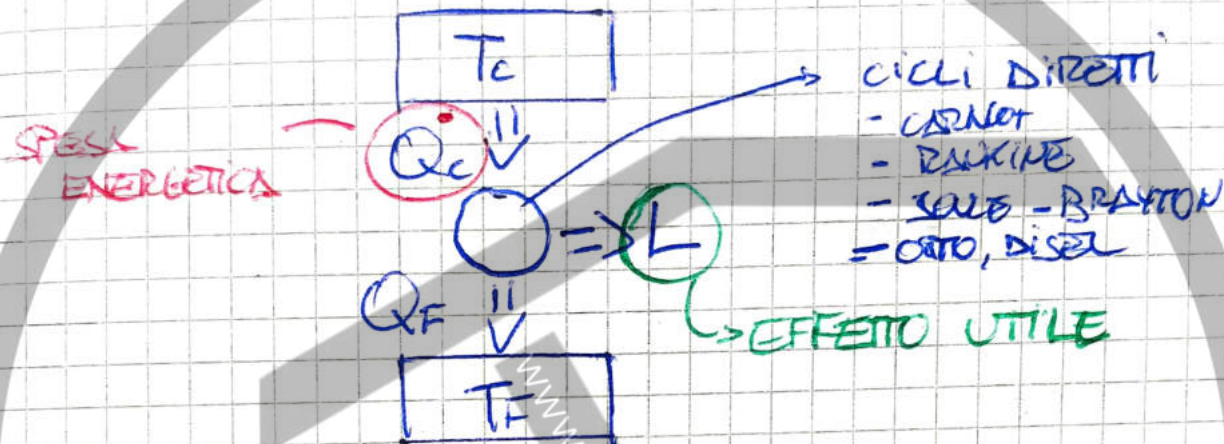
CICLI TERMODINAMICI

TIPICI DI MACCHINE:

- MOTRICI PRODUZIONE LAVORO MECCANICO
- OPERATRICE TRASFERIMENTO DI CALORE.

1) MACCHINE MOTRICI

PRODUCONO LAVORO MECCANICO



PARAMETRO DI MERITO:

RENDIMENTO:

$$\eta = \frac{L}{Q_c}$$

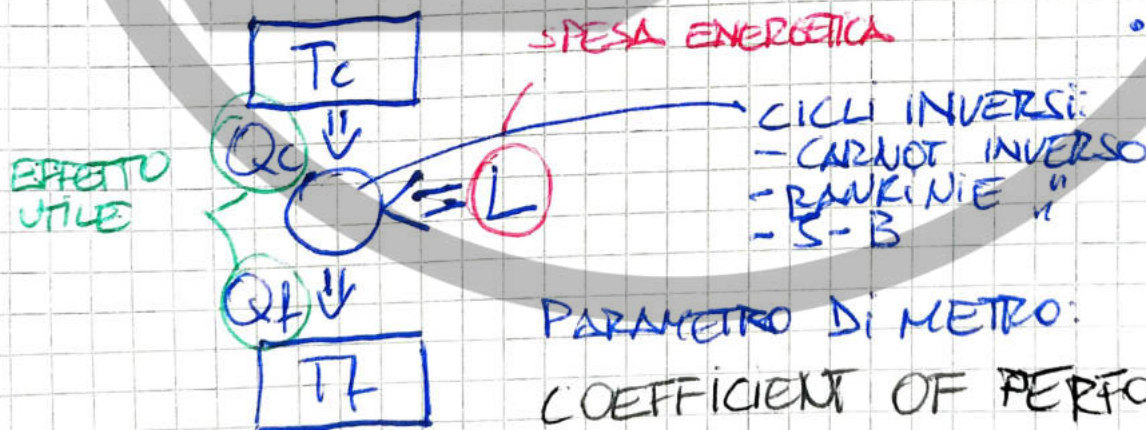
$$0 < \eta < 1$$

2) MACCHINE OPERATRICE

«TRASFERIMENTO» DI CALORE.

SONO:

- POMPA DI CALORE
- FRIGORIFERO



PARAMETRO DI METRO:

COEFFICIENT OF PERFORMANCE (COP)

$$COP = \frac{Q_{eff}}{L}$$

$$- COP_f > 0$$

$$- COP_{pdc} > 1$$

MACCHINA MOTRICE (MOTRICE)

• IDEALE: NOS

CASO REVERSIBILE: $S_{IRR}^{(INT+EST)} = 0$

- BILANCIO ENTROPIA:

↳ SISTEMA COMPRESSIVO:

$$S_{PR} = \Delta S_{TOT} \Rightarrow \Delta S_C^{ID} = \Delta S_F^{ID}$$

↳ SERBATOI TERMICI:

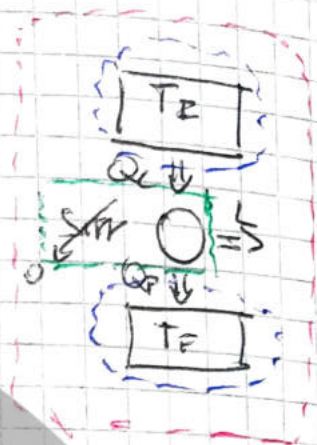
$$\Delta S_C^{ID} = -\frac{Q_C^{ID}}{T_C} ; \Delta S_F^{ID} = \frac{Q_F^{ID}}{T_F}$$

- BILANCIO DI ENERGIA (MACCHINA CICLICA)

$$L^{ID} = Q_C^{ID} - Q_F^{ID}$$

- RENDIMENTO IDEALE: $\rightarrow (IRR_{EST} + INT = 0)$

$$\eta^{ID} = \frac{L^{ID}}{Q_C^{ID}} = 1 - \frac{T_F}{T_C} \quad 0 < \eta^{ID} < 1$$



• REALE:

CASO IRREVERSIBILE: $S_{IRR}^{(INT+EST)} > 0$

- BILANCIO ENTROPIA SIST. COMPRESSIVO:

$$\Delta S_{CICLO} = 0$$

$$S_{IRR} = \Delta S_{TOT} \Rightarrow \Delta S_F = -\Delta S_C + S_{IRR}$$

SE:

$$Q_C = Q_C^{ID} \rightarrow L < L^{ID}$$

$$\Delta S_C = \Delta S_C^{ID}$$

- RENDIMENTO I° P:

$$\eta = \frac{L}{Q_c} < \eta^{ID}$$

$$\left(\eta \neq 1 - \frac{T_c}{T_c} \right)$$

$$0 < \eta < \eta^{ID}$$

- RENDIMENTO II° P:

$$\eta_{II} = \frac{\eta}{\eta^{ID}}$$

$$0 < \eta_{II} < 1$$

↳ PERMETTE DI CAPIRE QUALE TRA LE DUE SOLUZIONI È LA MIGLIORE

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MACCHINA FRIGORIFERA (OPERATRICE)

• IDEALE:

CASO REVERSIBILE:

$$S_{IRR}^{(INT+EST)} = 0$$

- BILANCIO ENTROPIA:

↳ S. COMPLESSIVO:

$$\Delta S_{TOT} = 0 \Rightarrow \Delta S_C^{ID} = -\Delta S_F^{ID}$$

↳ SORB. TERMICI

$$\Delta S_F^{ID} = -\frac{Q_F^{ID}}{T_F}; \quad \Delta S_C^{ID} = \frac{Q_C^{ID}}{T_C}$$

- BILANCIO DI ENERGIA (MACCH. CICLICA)

$$L^{ID} = Q_C^{ID} - Q_F^{ID}$$

- COP

$$COP_F^{ID} > 0$$

$$COP^{ID} = \frac{Q_F^{ID}}{L^{ID}} = \frac{T_F}{T_C - T_F}$$

$$COP_F^{ID} = \frac{Q_F^{ID}}{L^{ID}} = \frac{T_F}{T_C - T_F}$$

$$COP_{PAC}^{ID} = \frac{Q_C^{ID}}{L^{ID}} = \frac{T_C}{T_C - T_F}$$

• REALE:

CASO IRREVERSIBILE:

$$S_{IRR}^{(INT+EST)} > 0$$

- BILANCIO ENTROPIA (SIST. COMPL)

$$\Delta S_C = -\Delta S_F + S_{IRR}$$

$\Delta S_{CICLO} = 0$ PERCHÉ OPERAZ. CICLICA

$$Q_F = Q_F^{ID}$$

$$\rightarrow L > L^{ID}$$

$$\Delta S_F = \Delta S_F^{ID}$$

- COPI° PRINC.

$$COP_I = \frac{Q_L}{L}$$

$$\neq \frac{T_L}{T_C - T_F}$$

$$0 < COP_K < COP_I^{\text{ID}}$$

$$COP > 0$$

- REND. II PRINC:

$$\eta_{II} = \frac{COP_I}{COP_I^{\text{ID}}}$$

$$0 < \eta_{II} < 1$$

POMPA DI CALORE (MACCHINA OPERATRICE)

• IDEALE:

Caso REV:

$$S_{\text{IR}}^{\text{(INT+EST)}} = 0$$

- BILANCIO ENTROPIA S. COMP.

$$\Delta S_C^{\text{ID}} = -\Delta S_F^{\text{ID}}$$

- BILANCIO ENTROPIA SERB. TERMICI

$$\Delta S_F^{\text{ID}} = -\frac{Q_F^{\text{ID}}}{T_F} \quad ; \quad \Delta S_C^{\text{ID}} = \frac{Q_C^{\text{ID}}}{T_C}$$

- BILANCIO ENERGIA SU MACC. CICLIC.

$$L^{\text{ID}} = Q_C^{\text{ID}} - Q_F^{\text{ID}}$$

- COP IDEALE:

$$COP_{\text{PBC}}^{\text{ID}} > 1$$

$$COP_{\text{PC}}^{\text{ID}} = \frac{Q_C^{\text{ID}}}{L^{\text{ID}}} = \frac{T_C}{T_C - T_F}$$

• REALE:

CASO IRREVERSIBILE:

$$\int_{irr}^{(irr)} \infty$$

- B. E. S. COMPL.

$$\Delta S_{irr}^{(irr)} = \Delta S_{TOT} \Rightarrow \Delta S_c = \Delta S_F + S_{irr}$$

$\Delta S_{ciclo} = 0$ PERCHÉ OP. CICLICA

$$Q_c = Q_c^{ID}$$

$$\Delta S_c = \Delta S_c^{ID}$$

$$\rightarrow L > L^{ID}$$

- COP_{PC} I° PRINC.

$$COP_{PC} = \frac{Q_c}{L} < COP^{ID}$$

$$COP > 1$$

$$+ \frac{T_c}{T_c - T_F}$$

$$0 < COP_{PC} < COP^{ID}$$

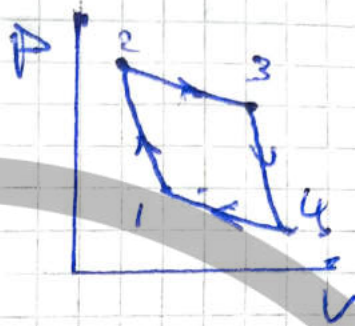
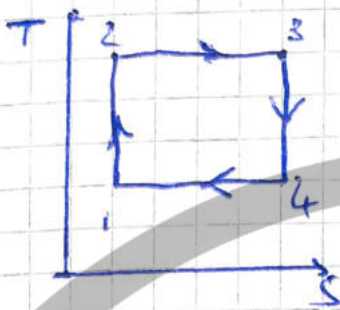
- REND. II° P.

$$\eta_{II} = \frac{COP_{PC}}{COP^{ID}}$$

$$0 < \eta_{II} < 1$$

LICLO DIRETTO DI CARNOT

$$H_p: G.I.; TIR \Rightarrow S_{int}^{int} = 0$$



- COMPRESIONE (4-2)
 - ISOT (4-1) + ADIAB (1-2)
- ESPANSIONE (2-4)
 - ISOT (2-3) + ADIAB (3-4)
- BILANCIO I°P.

$$q_c + l_{in} + l_f = q_f + l_{out} + l_c$$

$$\begin{array}{l} 1-2 \\ 3-4 \end{array} \quad l_{in} = C_p (T_2 - T_1) = l_{out} \quad \text{ISO-AB}$$

$$\begin{array}{l} 2-3 \\ 4-1 \end{array} \quad \left. \begin{array}{l} q_c = T_2 (v_3 - v_2) = l_c \\ q_f = T_1 (v_4 - v_1) = l_f \end{array} \right\} \text{ISO-T}$$

$$\eta = 1 - \frac{T_1}{T_2} \quad \begin{array}{l} \sim T_f \\ \sim T_c \end{array}$$

- B. ENTROPIA SU S. COMPLETO:

$$\Delta_{\text{tot}} = \Delta_{\text{C}} + \Delta_{\text{F}}$$

- B. B. SU SCAMBI TERMICI

$$\Delta_2 - \Delta_3 + \Delta_{\text{tot}}^{\text{EST, C}} = \Delta_{\text{C}}$$

$$\Delta_4 - \Delta_1 + \Delta_{\text{tot}}^{\text{EST, F}} = \Delta_{\text{F}}$$

- LAVORO TOTALE

$$L_{\text{TOT}} = L_{\text{C}} - L_{\text{F}} = (T_2 - T_1)(\Delta_3 - \Delta_2)$$

- RENDIMENTO IDEALE

$$\eta_{\text{CARNOT}} = 1 - \frac{T_1}{T_2} = \frac{L_{\text{TOT}}}{Q_{\text{C}}}$$

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